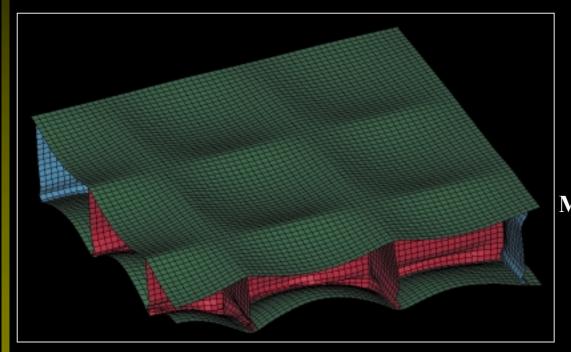
Study of Energy Absorbing Honeycomb Structure



By Dong Kwan (David) Lee Class Project MEG795 Energy Methods II

Objective

To verify if honeycomb sandwich structure absorbs an energy from the blast load by plastic deformation

Introduction

- Honeycomb sandwich structure are increasingly employed when efficiency with high ratio of strength to weight is necessary.
- Honeycomb sandwich structure consisted of thin two faceplates separated by a core material.
- Hexagonal shape is the most popular among others; however, only square shape is studied for simplification of analysis.
- Units: grams, cm, microseconds, Mega-bars

Introduction (cont'd)

ARL investigated the geometry effect and energy-absorbing materials by applying blast load to the various geometries and materials of pendulum structure at a given standoff position.

Flat shape of aluminum foam material transferred more energy to the structure.

Honeycomb sandwich structure is modeled to verify this result computationally. ConWep air blast function is used.

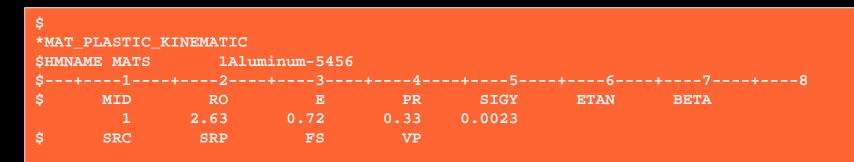
Design Constraints

- Area Density: $20-lb/ft^2 = 9.765-g/cm^2$
- Area of Plate: $2.25 \text{ft}^2 = 2090.32 \text{cm}^2$
- Standoff Distance: 0.8575-ft = 26.134-cm
- > Mass of C-4 charge: 1.0-lb = 453.59-g

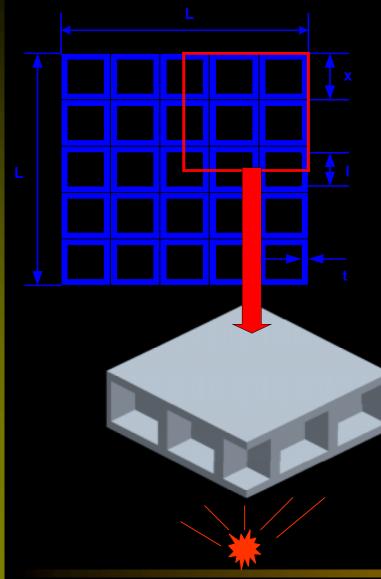


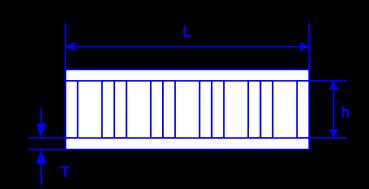
Material: Aluminum 5456-H116

- \blacktriangleright Density: 2.63-g/cm³
- Elastic Modulus: 0.72-g/µsec cm
- Yield Strength: 0.0023-g/µsec cm
- Poisson's Ratio: 0.33



Parameters of Structure





Parameters for Case I	Full Model	Quarter Model	Quarter Model
rarameters for Case I	(lbs, ft, s, psi)	(lbs, ft, s, psi)	(g, cm, μs, Mbar)
Area Density, $\frac{lb}{ft^2}$, $\frac{g}{cm^2}$	20.000	5.000	9.765
Material Density , $\frac{lb}{ft^3}$, $\frac{g}{cm^3}$	149.810	149.810	2.630
Area of Plate, ft ² , cm2	2.250	0.5625	522.580
Length of Plate, L, ft, cm	1.500	0.750	22.860
Length of Unit Cell, x, ft, cm	0.300	0.300	9.144
Length of Square, l, ft, cm	0.250	0.250	7.620
Scale Factor, λ	5.000	5.000	5.000

Vary thickness of Plate, T

Cases of Structure

Total of four-cases were modeled varied by thicknesses of plate.

$$\rho_{Area} = \frac{\rho_{Mat}[(x^2 - l^2)(n\lambda T) + (2TL^2)]}{L^2}$$
where $\rho_{Area} = \text{area density}\left(\frac{lb}{ft^2}, \frac{g}{cm^2}\right)$
 $\rho_{Mat} = \text{material density}\left(\frac{lb}{ft^3}, \frac{g}{cm^3}\right)$
 $L = \text{length of plate (ft, cm)}$
 $x = \text{length of unit cell (ft, cm)}$
 $l = \text{length of square (ft, cm)}$
 $T = \text{thickness of the plate (ft, cm)}$
 $\lambda = \frac{h}{T}$, scale factor of height of core to the plate thickness
 $h = \text{core height (ft, cm)}$
 $n = \text{number of cells in honeycomb core}$

	Plate Thickness (cm)	Height of Core (cm)
Case 1: $n = 25, \lambda = 5$	1.1535	5.7673
Case 2: $n = 100, \lambda = 5$	1.1535	5.7673
Case 3: $n = 25, \lambda = 10$	0.8085	8.0850
Case 4: $n = 100, \lambda = 10$	0.8085	8.0850

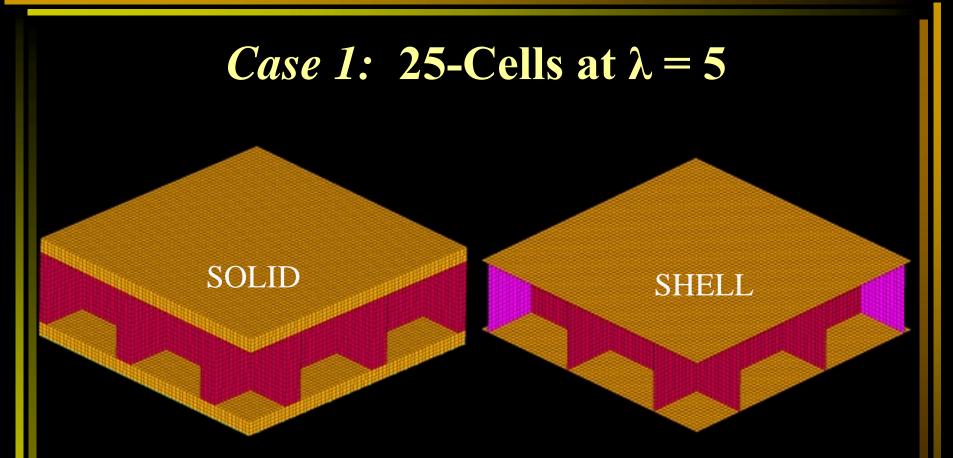
*BLAST_LOAD Card

Given mass of C-4: 1-lb \longrightarrow convert to equivalent TNTmass = 517.9-g

*LO	AD_BLAST						
\$	-+1	-+2	-+3	+4	+5	+б	+7
\$	WGT	ХВО	YBO	ZBO	тво	IUNIT	ISURF
	517.9	0	0	-26.13	0	4	2
\$	CFM	CFL	CFT	CFP			
*LO	AD_SEGMENT	SET					
\$	-+1	-+2	-+3	+4	+5	+6	+7
\$	SSID	LCID	SF	AT			
	777	-2	1	0			
\$							
*SE	T_SEGMENT						
\$HM	NAME CSURE	'S 21	Blast_surf	ac1			
	777						
	1710	1711	1704	1706			
	37199	37197	37192	37193			
*SE	*SET SHELL LIST GENERATE						
\$	-+1	+2	-+3	+4	+5	+6	+7
\$	SID	DA1	DA2	DA3	DA4		
	777						
\$	B1BEG	B1END	B2BEG	B2END			
	7201	10800					

Boundary Conditions

Boundary Condition	Тх	Ту	Tz	Rx	Ry	Rz
x-z symmetry plane		\checkmark				
y-z symmetry plane	\checkmark				V	
z-direction	\checkmark					



- Thickness of Core: 0.762-cm
- Thickness of Plate: 1.153-cm
- Height of Core: 5.767-cm
- No plastic deformation occurred

SOLID HONEYCOMB 25 Time = 0 Contours of Z-displacement min=0, at node# 60412 max=0, at node# 604121

Fringe Levels
0.000e+000

SHELL SQUARE HONEYCOMB 25 WITH CHANGED Time = 0 Contours of Z-displacement min=0, at node# 207 max=0, at node# 2071

 ×××

Fringe Levels
0.000e+000 _
0.00

X×××

Case 2: 100-Cells at $\lambda = 5$

- Thickness of Core: 0.381-cm
- Thickness of Plate: 1.153-cm
- Height of Core: 5.767-cm
- Unfortunately, no plastic deformation occurred in any of four cases

SOLID HONEYCOMB 100 Time = 0 Contours of Z-displacement min=0, at node# 4055 max=0, at node# 40551

Fringe Levels
0.000e+000 _
0.00

0.000e+000

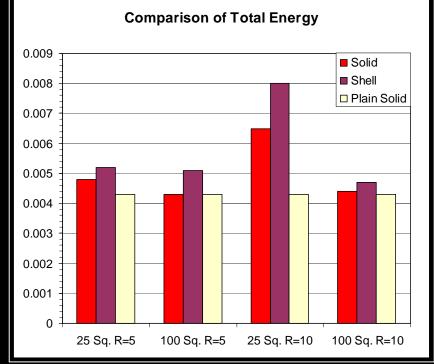
SHELL SQUARE HONEYCOMB 100 Time = 0 Contours of Z-displacement min=0, at node# 1 max=0, at node# 11

¥ ××

Fringe Levels
0.000e+000

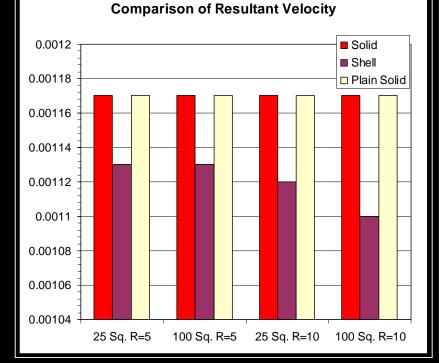
K[×]×

Comparison of Total Energy

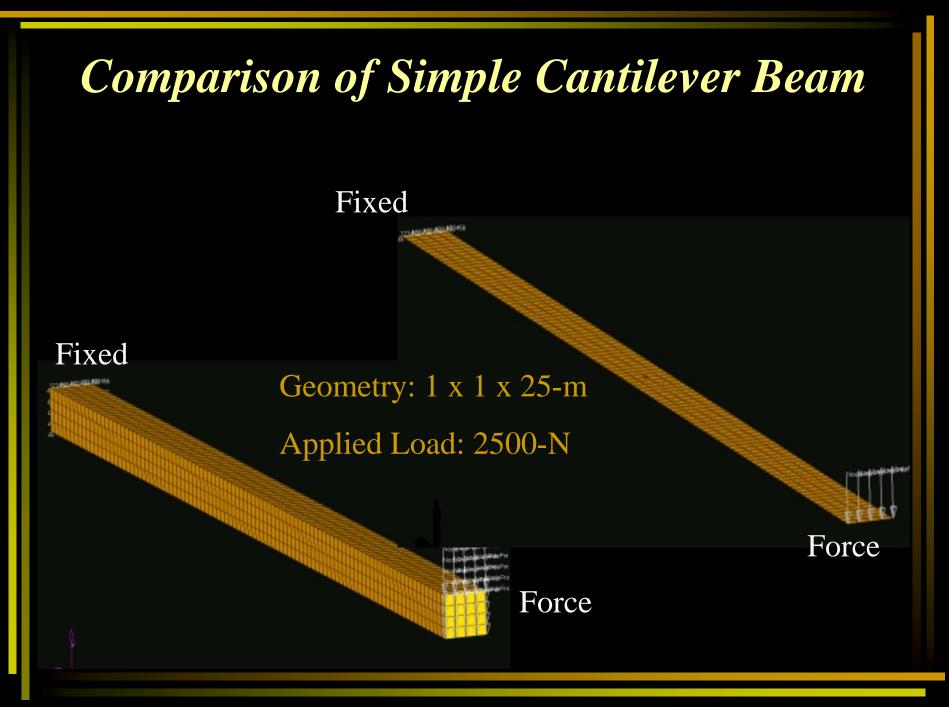


CASE	Solid vs. Shell Element
Honeycomb with 25-Square Holes, R=5	8.33 %
Honeycomb with 25-Square Holes, R=10	18.6 %
Honeycomb with 100-Square Holes, R=5	23.1 %
Honeycomb with 100-Square Holes, R=10	6.8 %
Plain Solid Plate (no honeycomb)	11.6 %

Comparison of Rigid Body Velocity

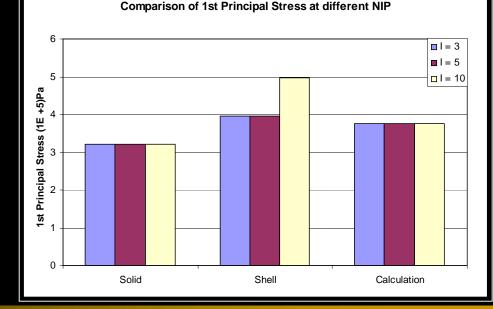


CASE	Solid vs. Shell Element
Honeycomb with 25-Square Holes, R=5	3.42 %
Honeycomb with 25-Square Holes, R=10	3.42%
Honeycomb with 100-Square Holes, R=5	4.27 %
Honeycomb with 100-Square Holes, R=10	5.98 %
Plain Solid Plate (no honeycomb)	5.12 %



Beam Result

- Run a shell model with three different NIP (3,5,10).
- Max. deflections at different NIP were same for shell model.
- Shell models deflected 23% more than solid models.
- Shell models have higher 1st principal stress 33%



Comparison of Max. Deflection at different NIP

Results of Honeycomb and Beam Cases

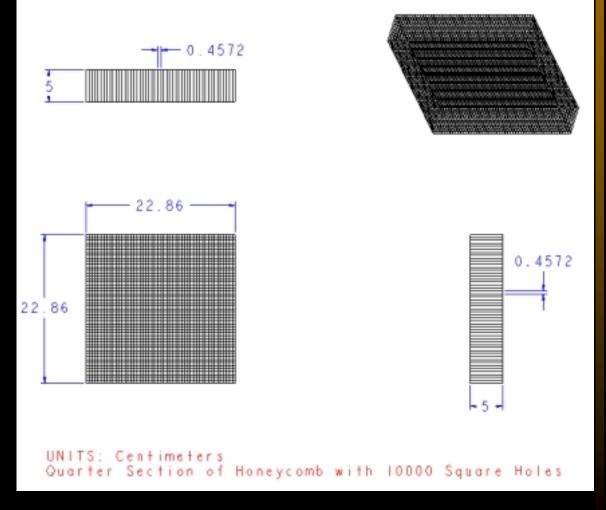
- No plastic or buckling deformation occurred on honeycomb models that the velocities for Solid-Honeycomb and Plain-Solid were same. Velocities for Shell-Honeycomb and plainsolid models have small difference of 3 to 6%.
- Shell models have higher total energies and it deflects more than solid models that the shell models appears to be less stiff than solid, based on the results of honeycomb and beam cases.

Varying Number of Cell Case (Part 2)

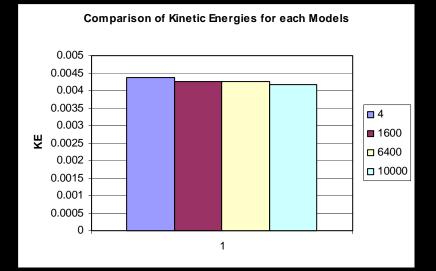
➤ To see the trend of energy absorption by varying # of cells.

➢ Number of cellscreated for 4, 1600,6400, and 10000.

Mass and Platethickness was fixed and plain plate was created according to the mass and results were compared.



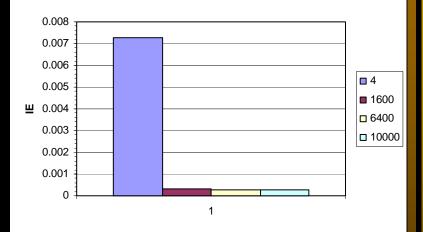
Results of Varying Number of Cell Case

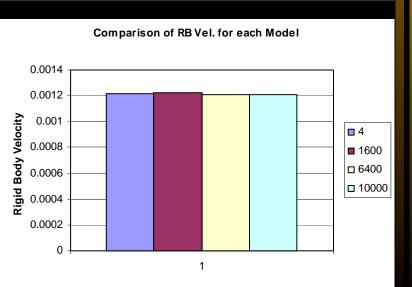


➢ Kinetic energy came out to be consistent for all four models.

➤ Model of 4-cells' Internal energy should not be so high since no plastic deformation in any of four models have occurred.

➢Rigid Body Velocity are consistent for all models, that indicates varying # of cells are independent of energy absorption. But, more study is necessary to make conclusion.



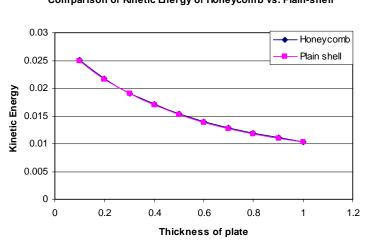


Comparison of Internal Energies for each Models

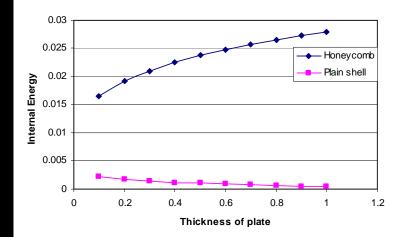
Varying Plate Thickness Case (Part 2)

- 25-Square shell model was used in this case and the thickness of plate was varied from the .k file.
- All the variables were fixed except the plate thickness. There were top and bottom plates and one of them was fixed and only one plate was varied with thickness.
- 01_005_02_03 corresponds to the thicknesses of innercore_outer-core_top-plate(or back plate)_bottom_plate(front plate), respectively.

Results of Varying Plate Thickness Case



Comparison of Kinetic Energy of Honeycomb vs. Plain-shell

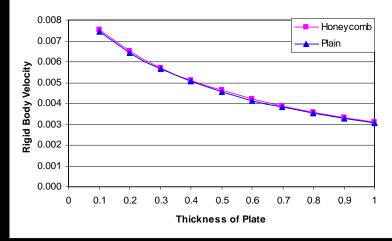


Comparison of Internal Energy of Honeycomb vs. Plain-shell

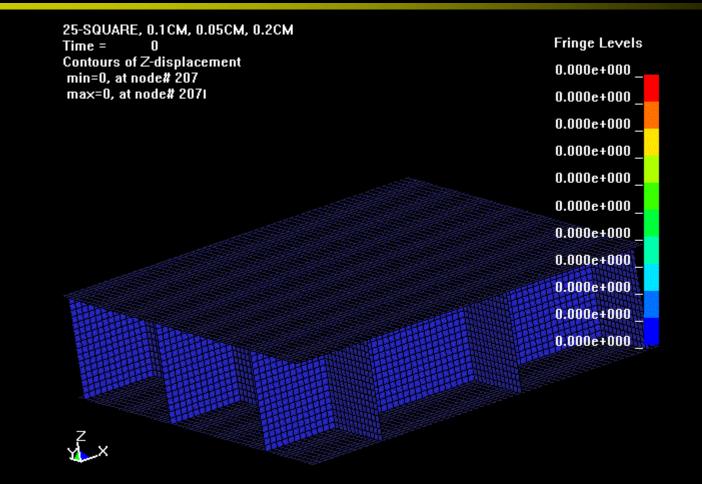
➢Kinetic energies for honeycomb and plain models were almost same.

➢ However, internal energies were different that honeycomb absorbs more energy as the plate thickness increased, plain model behaves opposite to honeycomb model that energy absorption decreased as plate thickness increased. Maybe this is one of reason caused ARL's experiment results.

However, velocity appears to be same.



Comparison of RB Vel. Between Honeycomb and Plain-shell



> One of buckling structure and dimensions shown above.

6.6% difference in Rigid Body Velocity between Honeycomb and Solid models.

Summary of Results

- From both part 1 and part 2 cases, increasing or decreasing number of cells did not significantly effected the energy absorption of the model.
- There were around 14% differences of results between solid and shell models.
- The results from beam models differentiated about 23% of maximum deflection that solid model appears to be stiffer than the shell model.
- From the varying plate thickness case, the result appears based on the graphs of kinetic, internal energies, and rigid body velocity that increase in energy absorption through the material as mass of the structure increases.

Any Questions ?